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Author: e-mail: crinemaiga@yahoo.fr A (1)

4 F

For achieving the aforementioned goals, assumptions made by [1] are adopted and a straightforward vector analysis is used to compute ratios of daily solar energy received by systems (trackers or static tilted photovoltaic cells).

Where:

t_r and t_s respectively denotes time of sun rise and that of sun set (See appendix1). θ = (???, ???), i.e the angle between solar incident irradiance and the normal vector to the plane of PV cell arrays. $\theta = \theta(\alpha, \beta, \gamma, \delta)$

The interval of integration ($[t_r, t_s]$) is then subdivided in three intervals such that the sign of function $f(t)$ remains the same in each of them: $f(t) = |f(t)| \cdot \text{sgn}(f(t))$

5 ????

(2) $E_{dual} = \int_{t_r}^{t_s} I_0 \cos^2(\theta) dt$ (3)

Where: E_{dual} stands for daily energy captured by a dual axis solar tracker.

$E_{static} = \int_{t_r}^{t_s} I_0 \cos(\theta) dt$ (4) $E_{static} = \int_{t_r}^{t_s} I_0 \cos(\theta) dt$ (5) $E_{static} = \int_{t_r}^{t_s} I_0 \cos(\theta) dt$ (6) $E_{static} = \int_{t_r}^{t_s} I_0 \cos(\theta) dt$ (7) (8) (9)

Computing (2) and using (3) yield: $E_{dual} = 2 * E_{static} \cdot \text{gain factor}$ (10)

Where:

E_{static} is the daily energy received by a static tilted PV plane.

By setting: $\text{gain factor} = \frac{E_{dual}}{E_{static}}$ (11)

Energy efficiency (gain factor) of dual axis to static PV cell arrays is then measured by: $\text{gain factor} = \frac{E_{dual}}{E_{static}}$ (12)

In Southern Hemisphere variables α and β should be replaced by their opposites i.e. by $-\alpha$ and $-\beta$ in all of the previous and next equations that involve these variables. It is worth noticing that α tend to zero leads to (21) of [1]: Let's define the (3x3) matrix S as follows: $S = \begin{pmatrix} \cos(\alpha)\cos(\beta) & \sin(\alpha)\cos(\beta) & -\sin(\beta) \\ \sin(\alpha)\cos(\beta) & \cos(\alpha)\cos(\beta) & -\sin(\beta) \\ \sin(\alpha)\sin(\beta) & \sin(\alpha)\cos(\beta) & \cos(\beta) \end{pmatrix}$ (13)

6 ?

Let's consider a single axis tracker that performs rotational movement around a vertical axis according the principle that its angular rotation is locked on solar azimuth (θ). Furthermore the PV cells array fastened on the vertical axis are assumed to be tilted with a certain inclination angle (Figure1 and FigureA2.1 of appendix2).

Let's \vec{n} be the normal vector to the PV plane of the tracker. As the system tracks azimuth angle (θ) it is not relevant to consider a certain azimuthal deviation so that \vec{n} and \vec{s} are expressed as: $\vec{n} = \sin(\theta) \vec{e}_1 + \cos(\theta) \vec{e}_2$ (14)

If E_{total} denotes the total daily energy captured by the single vertical axis tracker, then (14) yields: $E_{total} = \int_{t_r}^{t_s} I_0 \cos(\theta) dt$ (15)

To compute (15), power series expansion is used and the end result includes matrix (V) elements which are defined as follows (see appendix 2 for operation details): $V_{11} = \int_{t_r}^{t_s} I_0 \cos^2(\theta) dt$ (16) $V_{12} = \int_{t_r}^{t_s} I_0 \cos(\theta) \sin(\theta) dt$ (17) $V_{13} = \int_{t_r}^{t_s} I_0 \sin^2(\theta) dt$ (18) $V_{21} = \int_{t_r}^{t_s} I_0 \cos(\theta) \sin(\theta) dt$ (19)

$V_{22} = \int_{t_r}^{t_s} I_0 \cos^2(\theta) dt$ (20) $V_{23} = \int_{t_r}^{t_s} I_0 \cos(\theta) \sin(\theta) dt$ (21)

Where: $V_{ij} = \int_{t_r}^{t_s} I_0 \cos^i(\theta) \sin^j(\theta) dt$ (22) $V_{ij} = \int_{t_r}^{t_s} I_0 \cos^i(\theta) \sin^j(\theta) dt$ (23)

It comes: $V_{11} = \int_{t_r}^{t_s} I_0 \cos^2(\theta) dt$ (24)

We define gain factor (Dual axis to Vertical axis) factor as: $\text{gain factor} = \frac{E_{dual}}{E_{static}}$ (25)

7 Ground PV

The energy efficiency of dual axis tracking system to single vertical axis tracking system with a tilt angle β is measured by: $\eta_{dual}(\beta, \gamma, \delta, \lambda) = \eta_{single}(\beta, \gamma, \delta, \lambda) \cdot f(\beta, \gamma, \delta, \lambda)$ (26)

IV. Dual Axis Tracking versus Single Horizontal Axis Tracking (Performing Vertical Tracking) Tilted with a certain Inclination Angle

The horizontal tracker is assumed to rotate according a certain angle locked with solar elevation angle (α). Accordingly, for the first half of day length, two limit positions are defined:

$\alpha_1 = 0$, at time of sunrise ($\alpha = 0$). α_2 (the highest elevation angle) at local noon.

Where: $\alpha_2 = \arcsin(\sin \delta \cos \lambda + \cos \delta \sin \lambda \sin \alpha_2)$ (27)

The general case deals with the single horizontal tracker with azimuthal deviation (γ) that might be comprised between 0° to 90° (from south to East, counterclockwise, in northern hemisphere; or from North to West, counterclockwise, in southern hemisphere) or between 0 to -90° (from south to West, clockwise, in northern hemisphere; or from North to East clockwise in southern hemisphere).

Let's \vec{n} be the normal vector to the PV plane of the tracker (Figure2). Vectors \vec{I} and \vec{E} (Vector representing the incident solar irradiance) are expressed as follows: The total daily energy (E_{total}) captured by the single horizontal axis tracker, is given by: $E_{total} = 2 \int_0^{\alpha_2} I(\alpha, \gamma) \cos \alpha d\alpha$ (29)

The (3x3) matrix H is introduced and defined by: Where: H_{11} and H_{22} . The total daily energy captured by a dual tracker compared to that of single horizontal axis is then expressed as: $\eta_{dual} = \frac{E_{dual}}{E_{single}}$ (30)

Allows to define the energy efficiency factor of a dual axis tracker compared to a single horizontal axis as: $\eta_{eff} = \frac{E_{dual}}{E_{static}}$ (31)

The energy efficiency factor of a single vertical axis tracker compared to static PV arrays is established by inference, using (10), (11), (24) and (25): By inference, using (10), (11), (28) and (29), the energy efficiency factor of a single horizontal axis compared to static PV arrays, is established: η_{eff} denotes azimuthal deviation of single horizontal axis tracker; and γ that of static PV arrays.

8 VII. Results and Discussion

9 VIII. Conclusion

The study carried out in this paper, formerly, established the general energy efficiency equations of both solar tracking systems (dual and single) and static tilted PV arrays. The equations were expressed as multivariable functions of latitude, inclination angle, day number and azimuthal deviation.

The study concluded that single vertical axis tracking, that performs horizontal tracking of sun position, is more efficient than single horizontal axis which performs vertical tracking of sun position. However it remains to decide, according the earth location, which slope angle should be optimal for a single vertical axis solar tracking system.

Three Matlab scripts (see appendix 3) were written for performing numerical computations that emphasize minimum efficiency values of dual axis tracking compared to single axes tracking and static (with azimuthal deviation) PV cell arrays. Three major results derived from computations:

1) The numerical results of Script#1 show that a static tilted PV array with a non-zero azimuthal deviation is less efficient than one without azimuthal deviation. In fact, a non-zero azimuthal deviation of static tilted PV array leads to a yearly tilt angle which is not optimal. That confirms the fact that the tilt angle of static PV array should be, rigorously, either due South (in Northern Hemisphere) or due North (in Southern Hemisphere) for an increased energy efficiency. 2) Numerical results of Script#2 and Script#3, clearly show that a single vertical axis tracking (which performs horizontal tracking of sun position) is generally more efficient than a single horizontal axis tracking system (which performs vertical tracking of sun position). That confirms the conclusion of [2] regarding the efficiency comparison of single vertical axis and single horizontal axis tracking systems. 3) Script#3 numerical results show that increasing azimuthal deviation of a single horizontal axis tracking system (that performs vertical tracking of sun position) leads to increase its efficiency.

Where:

δ : Declination angle in degrees n : day number ($n=1$ at the first of January)

2) Solar elevation (altitude) angle α (Fig A1 2) is the angle between the projection of the sun's rays on the horizontal plane and the direction on the sun's rays. $\alpha = \arcsin(\sin \delta \cos \lambda + \cos \delta \sin \lambda \sin \alpha)$

Assuming that $\alpha = 0$ at time $t = 0$ and $\alpha = \alpha_2$ at time $t = t_2$ involves the following condition: $0 = \arcsin(\sin \delta \cos \lambda + \cos \delta \sin \lambda \sin \alpha)$ [A2.4]

162] and [A2.5] allow to define: $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$
 163 $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$
 164 $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$

165 If we set: $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$
 166 $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$
 167 $\delta \theta(\theta, \phi, \psi) = 24 \theta \phi \psi + \dots$ Then: $\delta \theta(\theta, \phi, \psi) =$
 168 $\delta \theta(\theta, \phi, \psi) + 12 \theta \phi \psi = \delta \theta(\theta, \phi, \psi) + 12$

169 2) The inclination direction for a static PV array or a single horizontal axis tracking system is assumed
 170 to be North-South facing in Northern Hemisphere and South-North facing in Southern Hemisphere, to ensure
 171 better energy efficiency. However, the present study assumes some minor or major deviations around the North-
 172 South direction or the South-North direction, in order to rigorously determine whether such deviations, called
 173 azimuthal, may either decrease or increase the overall energy efficiency of PV systems. In this paper, azimuthal
 174 deviation is positively counted when it is South due East, counterclockwise in Northern Hemisphere or North
 175 due West, counterclockwise, in Southern Hemisphere; and negatively when it is South due West, clockwise, in
 176 Northern Hemisphere, or North due East, clockwise, in Southern hemisphere. The values of azimuthal deviation
 177 are considered in the following interval: -90° to $+90^\circ$

178 Where θ sets for static PV system azimuthal deviation and ϕ for that of PV single horizontal axis
 179 tracking system (performing vertical tracking of sun position).

180 3) The principle of horizontal tracking by a single vertical axis tracker is schematized below: Where a and b
 181 are respectively defined by (???) and (???) . And as: $\theta = 1 \theta + 0 \theta + 1$

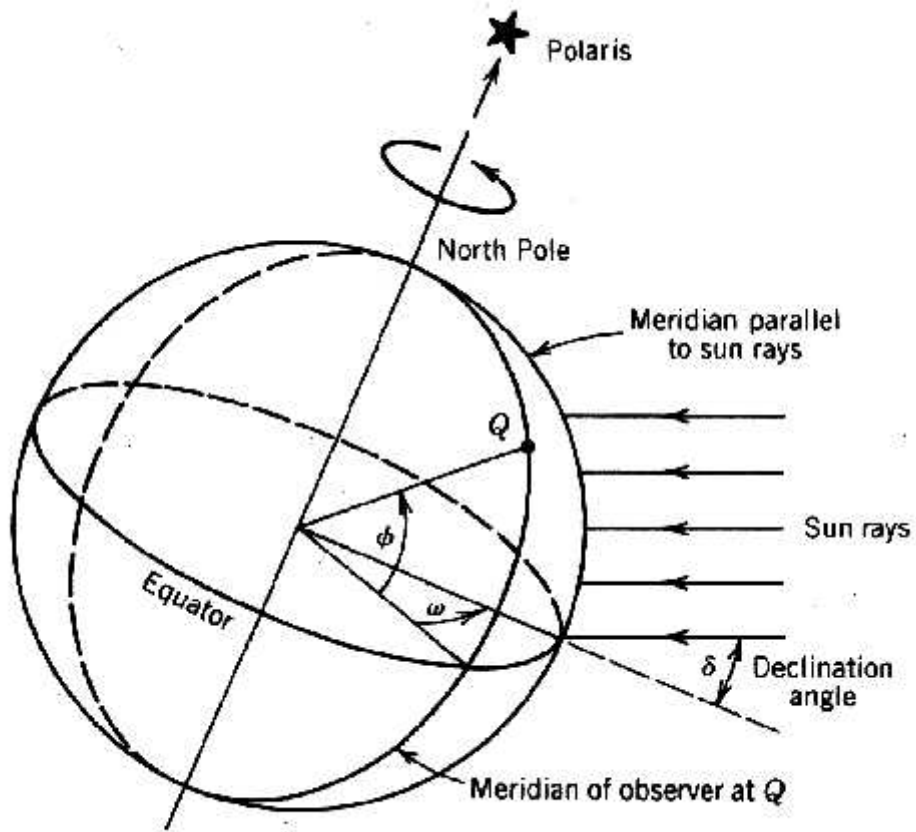
182 The following power series expansion:
 183 $(1 + \theta)^\theta = 1 + \theta + \frac{\theta^2}{2!} + \frac{\theta^3}{3!} + \dots$
 184 compute θ .

185 Afterward, the second integral, θ^2 , is computed and added to the first integral result. A similar method is
 applied to compute (29). Year 2022 © 2022 Global Journals () F



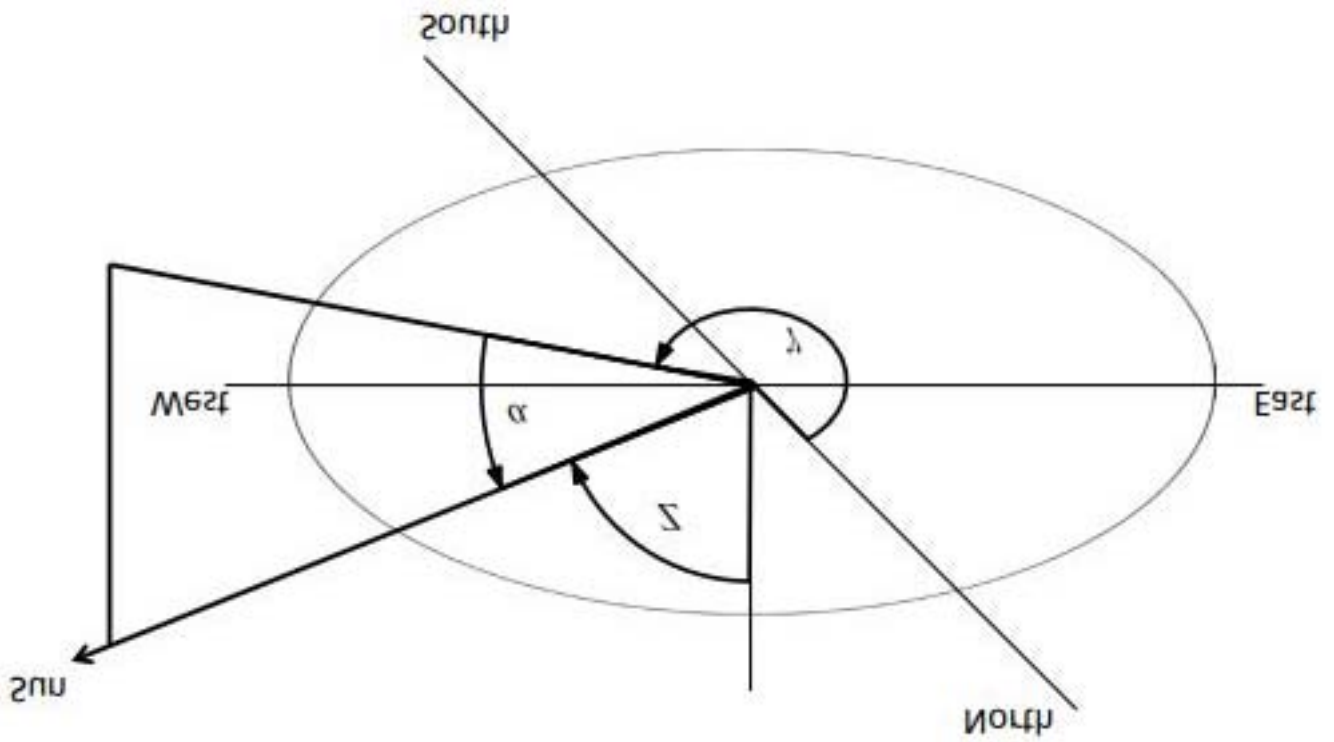
1

Figure 1: Figure 1 :



2

Figure 2: Figure 2 :



26

Figure 3: 2 ? 6 ??

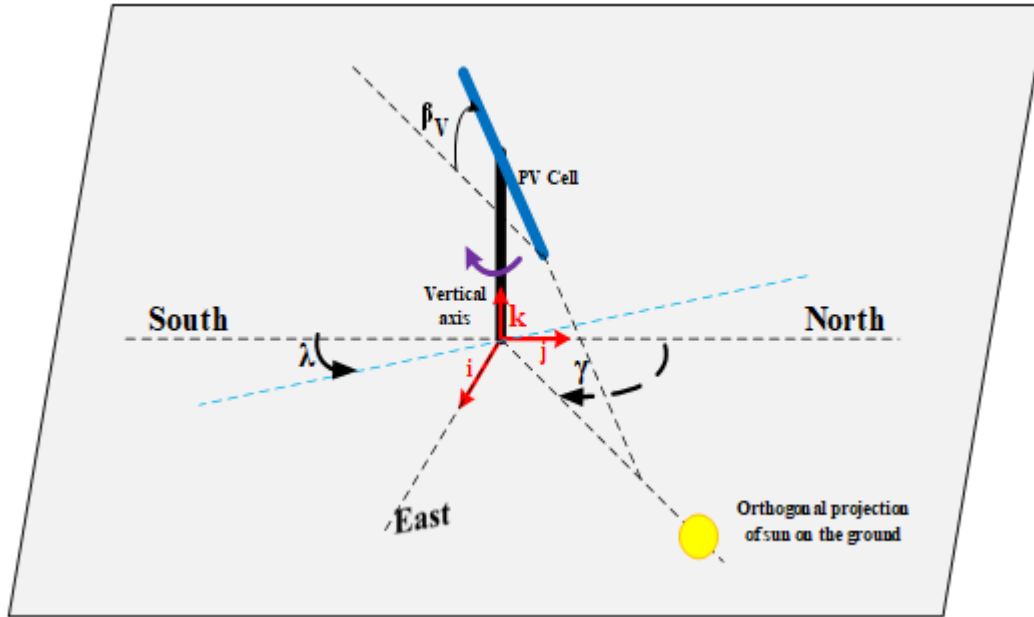


Figure 4:

[Note: © 2022 Global Journals ()]

Figure 5:

Theoretical Energy Efficiency Analysis of Solar Tracking Systems

Where:

?

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34

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[Note: 1 See appendix1 for details about variables ??, ?? and ??.]

Figure 6:

PV Cell

Vertical

axis

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Figure 7:

Theoretical Energy Efficiency Analysis of Solar Tracking Systems

?? 32 (??, ?? 2 2

? 24???? ?? ?????? ? ????? 0 ? 3?? ?
?? 12 + 2 ?
0 ??
+

?? 33 (??, ?? ?? , ??, ??) = ??

?? ?1 ? ?????? 5 ????? 0 12 ? ?? ?1 ? ?????? 6 ???
5 + 5
5 ?? 6

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36

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Figure 8:

[Note: © 2022 Global Journals]

Figure 9:

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2 Appendix

3 Appendix 1

The earth follows a complex motion that consists of the daily motion and the annual motion. The daily motion causes the sun to appear in the east to west direction over the earth whereas the annual motion causes the sun to tilt at a particular angle while moving along east to west direction. Declination angle δ ($\delta=1$ matches to $\lambda=0$, $k=2$ to $\lambda=1$, and so on $k=6$; $\lambda(k)=(k-1)$; for $i=1:66$ % parameter of latitude $\phi(i)=(i-1)$; for $j=1:91$ % parameter of inclination angle β $\beta(j)=(j-1)$; for $n=1:365$ % parameter of day number n)

[?? ???? (?? et al.) , ?? ?? ???? (?? , ?? ?? , ?? ?? , ?? ??) = ?? ???? (?? , ?? ?? .

[?? ???? (?? et al.) , ?? ?? ???? (?? , ?? , ?? ?? , ?? .

[*(sind] , *(sind .

[*(sind] , *(sind .

[Factor and Efficiency] , K_Dv Factor , % Efficiency .

[H13(n] , H13(n . (n,k,i)*((X3(n,i)/3)*(1-(c(n,i)^3))+(X4(n,i)/4)*(1-(c(n,i)^4))))

[H22(n,K,I,J)=e] , H22(n,K,I,J)=e . (n,k,i)*((X3(n,i)/4)*(1-(c(n,i)^4))+(X4(n,i)/5)*(1-(c(n,i)^5))))

[Factor and Efficiency] , K_Dh Factor , % Efficiency .

[Matrix] % First line elements% $H11(n,k,i,j)=-\cos(\lambda(k)) * ((6 * \alpha_2(n,i) / (\pi * \cos(\phi(i)))) + (6 * (a(n,i) + b(n,i)) * \cos(\alpha_2(n,i) / \pi) * \cos(\phi(i))))$, H Matrix .

[H32(n,k,i,j)=cosd(lamda(k))*(((a(n,i)^2) + ((ed.)) [H32(n, k, i, j) = cosd(lamda(k)) * (((a(n, i)^2) + ((ed.)) (b(n, i)^2)/2)) * T0(n, i) + ((24 * a(n, i) * b(n, i) / pi) * sin(pi * T0(n, i) / 12)) + ((3 * (b(n, i)^2) / pi) * sin, H32(n,k,i,j)=cosd(lamda(k))*(((a(n,i)^2)+(ed.) (pi*T0(n,i)/6))))

[h(k,n,i,j)=(24/pi)*atan((-sqrt(ed.)) (cotd(lamda(k))^2)+(sind(phi(i))^2)-(cosd(phi(i))^2)*(tan(delta_rad(n))^2))+cotd(lamda(k)))/2*a, h(k,n,i,j)=(24/pi)*atan((-sqrt(ed.))

[g(k,n,i,j)=(24/pi)*atan((sqrt(ed.)) (cotd(lamda(k))^2)+(sind(phi(i))^2)-(cosd(phi(i))^2)*(tan(delta_rad(n))^2))-cotd(lamda(k)))/(2*a, g(k,n,i,j)=(24/pi)*atan((sqrt(ed.))

[*(cosd(lamda(k)))] *(cosd(lamda(k))),

[*(cosd(phi(i)))*(cosd(lamda(k)))] *(cosd(phi(i)))*(cosd(lamda(k))),

[*q2(n,k,i,j)+12*q1(n,k,i,j)/pi+((12*q1(n,k,i,j)/pi)*cos(pi*T0(n,i)/12))+((6*q2(n,k,i,j)/pi)*cos(pi*T0(n,i)/12)+12*q1(n,k,i,j)/pi+((12*q1(n,k,i,j)/pi)*cos(pi*T0(n,i)/12))+((6*q2(n,k,i,j)/pi)*cos, pi*T0.

[,i)=asin(sin(delta_rad(n))*sind(phi(i))+cosd(delta_deg(n))*cosd] ,i)=asin(sin(delta_rad(n))*sind(phi(i))+cosd(delta_deg(n))*cosd

[,i)=cos(pi*T0] ,i)=cos(pi*T0, 12.

[,i)=cos(pi*T0] ,i)=cos(pi*T0, 12.

[,i)=cosd(delta_deg(n))*cosd(phi(i)] ,i)=cosd(delta_deg(n))*cosd(phi(i),

[,i)=cosd(delta_deg(n))*cosd(phi(i)] ,i)=cosd(delta_deg(n))*cosd(phi(i),

[,i)=sind(delta_deg(n))*sind(phi(i)] ,i)=sind(delta_deg(n))*sind(phi(i),

[,i)=sind(delta_deg(n))*sind(phi(i)] ,i)=sind(delta_deg(n))*sind(phi(i),

[p2(n,k,i,j)=(ed.)) -sind(beta(j))*cosd(lamda(k))*b(n,i)*sin(delta_rad(n))*cosd(phi(i))-a(n,i)*cos(delta_rad(n))*sind, p2(n,k,i,j)=(ed.))

[12/pi)*sind(lamda(k))*cos(delta_rad(n))*sind(phi(i)] 12/pi)*sind(lamda(k))*cos(delta_rad(n))*sind(phi(i),

[=(1/2)*(cosd(phi(i))*tan(delta_rad(n))+sind(phi(i)))] =(1/2)*(cosd(phi(i))*tan(delta_rad(n))+sind(phi(i))),

[=(12/pi)*sind(lamda(k))*sin(delta_rad(n))*cosd(phi(i))] =(12/pi)*sind(lamda(k))*sin(delta_rad(n))*cosd(phi(i)),

[H23(n] =(p1(n,k,i,j)+(p3(n,k,i,j)/2))*T0(n,i)+((3*p3(n,k,i,j)/pi)*sin(pi*T0(n,i)/6))+((

12*p2(n,k,i,j)/pi)*sin, H23(n . (pi*T0(n,i)/12))

[C1(k,n,i,j)=(sin(delta_rad(n)))*((cosd(beta(j)))] C1(k,n,i,j)=(sin(delta_rad(n)))*((cosd(beta(j))),

[C2(k,n,i,j)=(cos(delta_rad(n)))*((cosd(beta(j)))*(cosd(phi(i)))+(sind(beta(j)))*(sind(phi(i))

C2(k,n,i,j)=(cos(delta_rad(n)))*((cosd(beta(j)))*(cosd(phi(i)))+(sind(beta(j)))*(sind(phi(i)),

[C3(k,n,i,j)=(sind(beta(j)))*(cos(delta_rad(n)))] C3(k,n,i,j)=(sind(beta(j)))*(cos(delta_rad(n))),

[Matrix] Elements% $V11(n,i,j)=(12*sind(beta(j))/pi)*X1(n,i)*(1-c$, V Matrix .

237 [K_DH(n,k,i,j)=T0(n,i)/(abs(ed.))] H11(n,k,i,j)+H12(n,k,i,j)+H13(n,k,i,j)+H21(n,k,i,j)+H22(n,k,i,j)+
238 H23(n,k,i,j)+H31(n,k,i,j)+H32(n,k,i,j)+H33(n,k,i,j) K_DH(n,k,i,j)=T0(n,i)/(abs(ed.))

239 [H12(n,k,i,j)=d(n,k,i)*(X1(n,i)*(1-c(n,i))+(X2(n,i)/2)*(1-(c(n,i)²)))] H12(n,k,i,j)=d(n,k,i)*(X1(n,i)*(1-
240 c(n,i))+(X2(n,i)/2)*(1-(c(n,i)²))),

241 [H33(n,k,i,j)=d(n,k,i)*(X5(n,i)/5)*(1-(c(n,i)⁵))+e] H33(n,k,i,j)=d(n,k,i)*(X5(n,i)/5)*(1-(c(n,i)⁵))+e,
242 (n,k,i)*(X5(n,i)/6)*(1-(c(n,i)⁶))

243 [k,i,j]=b(n,i)*sind(beta(j))*cosd(lamda(k))*cos(delta_rad(n))*sind(phi(i))] k,i,j)=b(n,i)*sind(beta(j))*cosd(lamda(k))*cos(delta_
244 (p3(n,))

245 [K_DV(n,i,j)=T0(n,i)/abs(V11(n,i,j)+V12(n,i,j)+V13(n,i,j)+V21(n,i,j)+V22(n,i,j)+V23(n,i,j))]
246 K_DV(n,i,j)=T0(n,i)/abs(V11(n,i,j)+V12(n,i,j)+V13(n,i,j)+V21(n,i,j)+V22(n,i,j)+V23(n,i,j)).

247 [min_eta_Dual_Hor(i,j)=min(eta_Dual_Hor(:,k,i,j))] min_eta_Dual_Hor(i,j)=min(eta_Dual_Hor(:,k,i,j)),
248 [min_eta_Dual_Static(i,j)=min(eta_Dual_Static(k,:,i,j))] min_eta_Dual_Static(i,j)=min(eta_Dual_Static(k,:,i,j)),
249 [min_eta_DV(i,j)=min(eta_DV(:,i,j))] min_eta_DV(i,j)=min(eta_DV(:,i,j)),

250 [p1(n,k,i,j)=-a(n,i)*sind(beta(j))*cosd(lamda(k))*sin(delta_rad(n))*cosd(phi(i))] p1(n,k,i,j)=-
251 a(n,i)*sind(beta(j))*cosd(lamda(k))*sin(delta_rad(n))*cosd(phi(i)),

252 [q1(n,k,i,j)=a(n,i)*sind(beta(j))*sind(lamda(k))*cos] q1(n,k,i,j)=a(n,i)*sind(beta(j))*sind(lamda(k))*cos,
253 (delta_rad(n))

254 [q2(n,k,i,j)=(b(n,i)/2)*sind(beta(j))*sind(lamda(k))*cos] q2(n,k,i,j)=(b(n,i)/2)*sind(beta(j))*sind(lamda(k))*cos,
255 (delta_rad(n))

256 [S1(k,n,i,j)=abs(S11(k,n,i,j)+S12(k,n,i,j)+S13(k,n,i,j))] S1(k,n,i,j)=abs(S11(k,n,i,j)+S12(k,n,i,j)+S13(k,n,i,j)),
257 [S11(k,n,i,j)=C1(k,n,i,j)*(g(k,n,i,j)+T0(n,i))] S11(k,n,i,j)=C1(k,n,i,j)*(g(k,n,i,j)+T0(n,i)),

258 [S12(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*g(k,n,i,j)/12)+sin(pi*T0))] S12(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*g(k,n,
259 i,j)/12)+sin(pi*T0),

260 [S13(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*g(k,n,i,j)/12)-cos)] S13(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*g(k,n,i,j)/12)-
261 cos, (pi*T0(n,i)/12))

262 [S2(k,n,i,j)=abs(S21(k,n,i,j)+S22(k,n,i,j)+S23(k,n,i,j))] S2(k,n,i,j)=abs(S21(k,n,i,j)+S22(k,n,i,j)+S23(k,n,i,j)),
263 [S22(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*h(k,n,i,j)/12)-sin)] S22(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*h(k,n,i,j)/12)-
264 sin, (pi*g(k,n,i,j)/12))

265 [S23(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*h(k,n,i,j)/12)-cos)] S23(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*h(k,n,i,j)/12)-
266 cos, (pi*g(k,n,i,j)/12))

267 [S3(k,n,i,j)=abs(S31(k,n,i,j)+S32(k,n,i,j)+S33(k,n,i,j))] S3(k,n,i,j)=abs(S31(k,n,i,j)+S32(k,n,i,j)+S33(k,n,i,j)),
268 [S32(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*T0(n,i)/12)-sin(pi*h(k))] S32(k,n,i,j)=(12*C2(k,n,i,j)/pi)*(sin(pi*T0(n,i)/12)-
269 sin(pi*h(k,

270 [S33(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*T0(n,i)/12)-cos(pi*h(k))] S33(k,n,i,j)=(-12*C3(k,n,i,j)/pi)*(cos(pi*T0(n,i)/12)-
271 cos(pi*h(k,

272 [Maiga ()] 'Theoretical Comparative Energy Efficiency Analysis of Dual Axis Solar Tracking Systems'. A Maiga
273 . *Energy and Power Engineering* 2021. 13 p. .

274 [V12(n,i,j)=(12*sind(beta(j))/pi)*(X2(n,i)/2)*(1-(c(n,i)²))] V12(n,i,j)=(12*sind(beta(j))/pi)*(X2(n,i)/2)*(1-
275 (c(n,i)²)),

276 [V13(n,i,j)=(12/pi)*sind(beta(j))*(X3(n,i)/3)*(1-(c(n,i)³))] V13(n,i,j)=(12/pi)*sind(beta(j))*(X3(n,i)/3)*(1-
277 (c(n,i)³)),

278 [V21(n,i,j)=(12*sind(beta(j))/pi)*(X4(n,i)/4)*(1-(c(n,i)⁴))] V21(n,i,j)=(12*sind(beta(j))/pi)*(X4(n,i)/4)*(1-
279 (c(n,i)⁴)),

280 [V22(n,i,j)=a(n,i)*cosd(beta(j))*T0(n,i)] V22(n,i,j)=a(n,i)*cosd(beta(j))*T0(n,i),

281 [V23(n,i,j)=(12*b(n,i)*cosd(beta(j))/pi)*sin(pi*T0)] V23(n,i,j)=(12*b(n,i)*cosd(beta(j))/pi)*sin(pi*T0, 12.

282 [Jacobson and Jadhay] *World estimates of PV Optimal Tilt Angles and Ratios of Sunlight Incident Upon*
283 *Tilted and Tracked PV Panels Relative to Horizontal Panels*, Marc Z Jacobson , Vijaysinh Jadhay .
284 <https://www.sciencedirect.com/science/article/pii/S0038092X1830375X>